

Proving Quadrilaterals Are Parallelograms

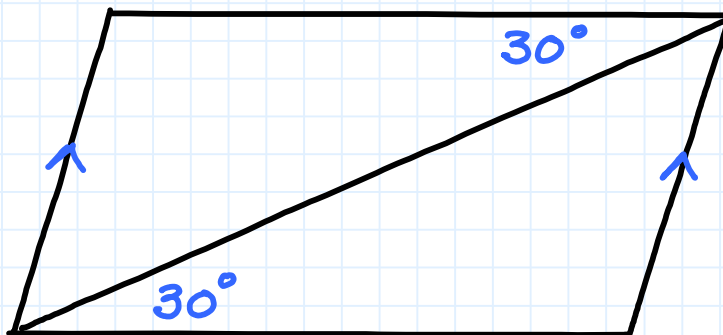
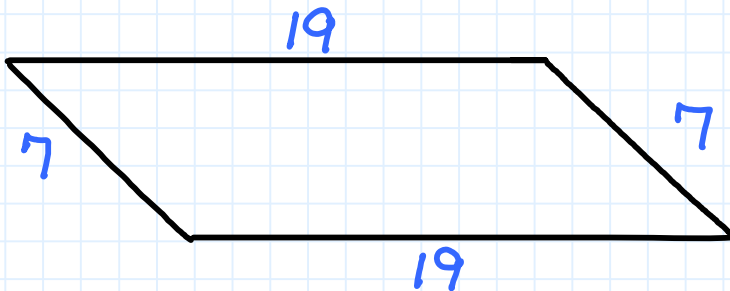


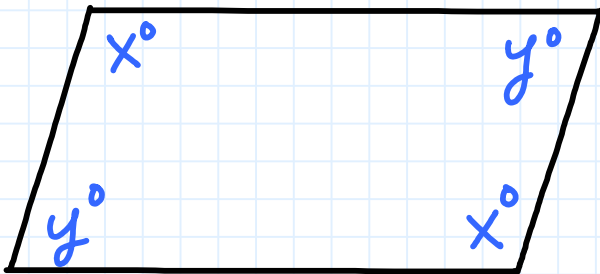
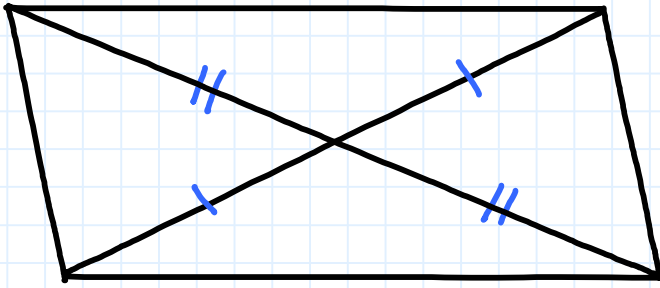
Overview of problems



Example Set: A

Determine if each quadrilateral is a parallelogram; if you think the quadrilateral is in fact a parallelogram justify your conclusion.

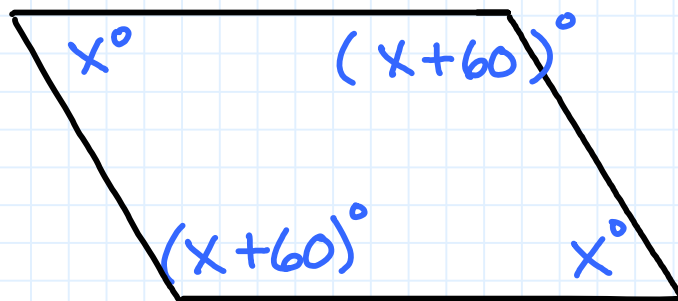
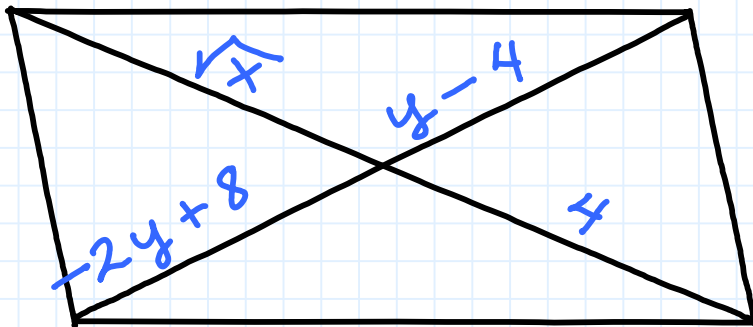
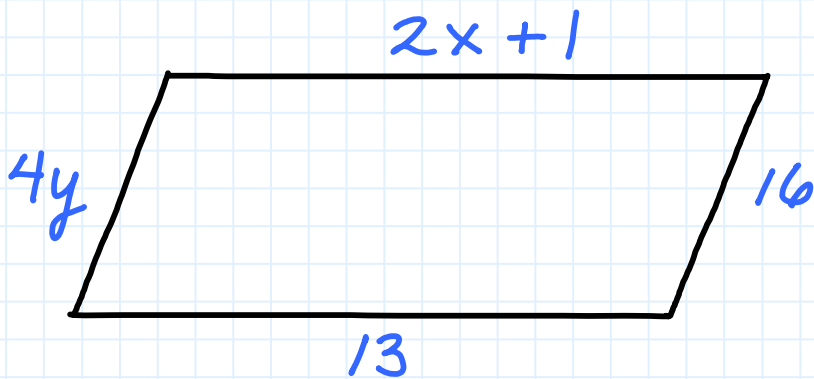






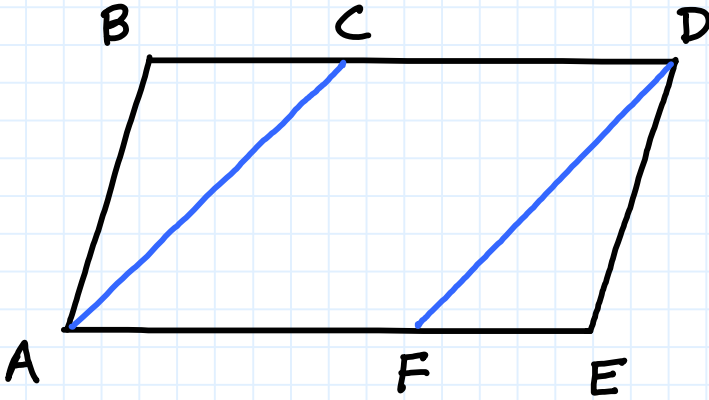
Example Set: B

Determine the values of the variables so that the quadrilateral is a parallelogram.





Example Set: C



Given: $\square ABDE$,
 AC bisects $\angle A$
 DF bisects $\angle D$
 $\angle ACD \cong \angle AFD$

Prove: $ACDF$ is \square

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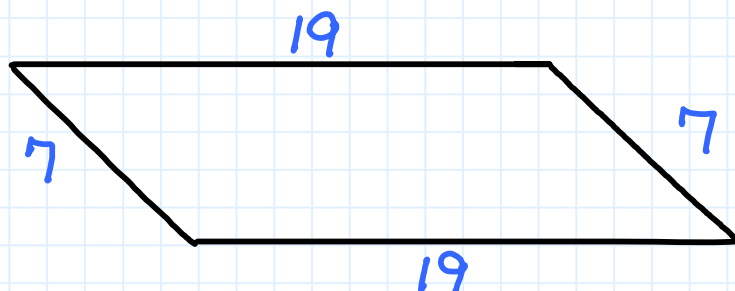


Overview of problems- KEY

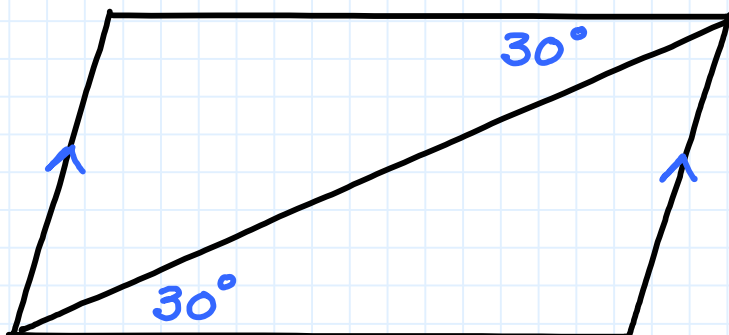


Example Set: A

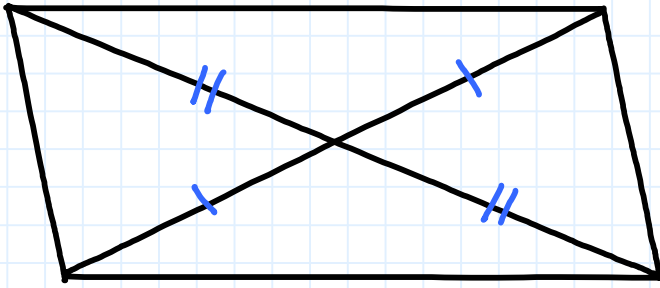
Determine if each quadrilateral is a parallelogram; if you think the quadrilateral is in fact a parallelogram justify your conclusion.



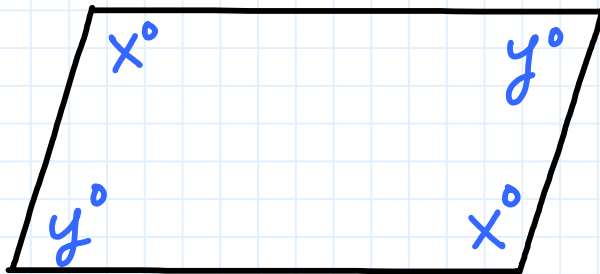
yes, opposite sides are \cong



yes, opposite sides are \parallel



yes, diagonals
bisector each
other

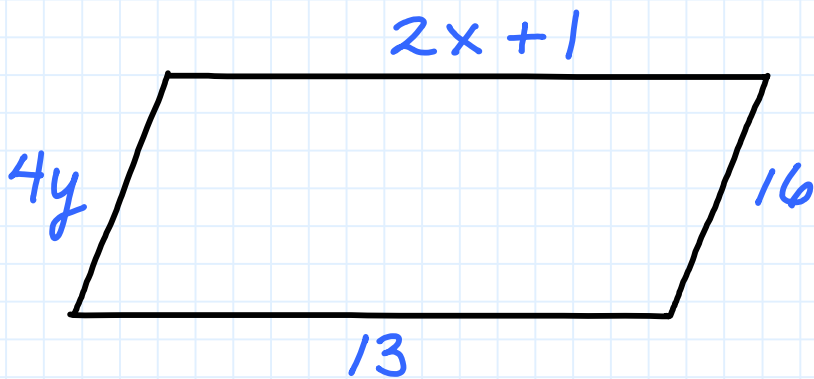


yes, opposite
angles are
congruent

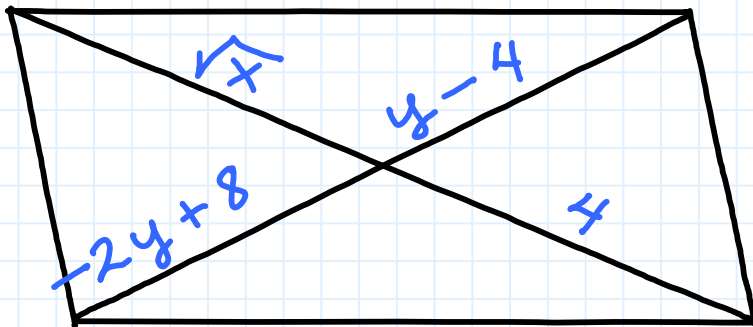


Example Set: B

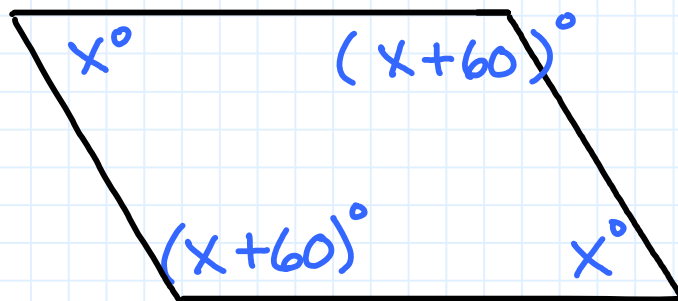
Determine the values of the variables so that the quadrilateral is a parallelogram.



$$x = 6$$
$$y = 4$$



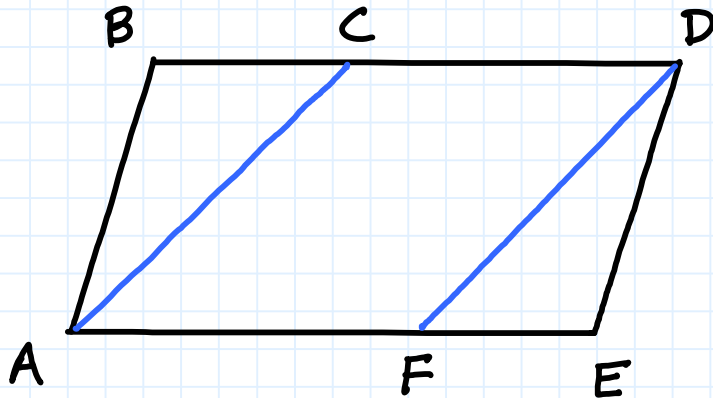
$$x = 16$$
$$y = 4$$



$$x = 60^\circ$$



Example Set: C



Given: $\square ABDE$,
AC bisects $\angle A$
DF bisects $\angle D$
 $\angle ACD \cong \angle AFD$

Prove: ACDF is \square

Statement

reason

$$\angle A \cong \angle D$$

opp. \angle 's of \square
are \cong

$$\begin{aligned}\angle BAC &\cong \angle CAF \\ \angle CDF &\cong \angle FDE\end{aligned}$$

\angle 's formed by
angle bisector are \cong

$$\begin{aligned}\angle A &= \angle BAC + \angle CAF \\ \angle D &= \angle CDF + \angle FDE\end{aligned}$$

Def. of angle bisector

$$\begin{aligned}\angle BAC + \angle CAF &= \\ \angle CDF + \angle FDE &\end{aligned}$$

Sub. Prop.

$$\begin{aligned}\angle CAF + \angle CAF &= \\ \angle CDF + \angle CDF &\end{aligned}$$

Sub. Prop.

Statement

reason

$$2\angle CAF = 2\angle CDF$$

Add. Prop.

$$\angle CAF \cong \angle CDF$$

Division Prop.

$$\angle ACD \cong \angle AFD$$

Given

ACDF is a \square

A quad with both
pairs of opp.
angles that are \cong
is a \square .